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## PROBABILITY VOCABULARY AND DEFINITIONS

**Outcome:** Any possible or actual result of the action considered, such as rolling a 5 on a standard number cube or getting tails when flipping a coin.

**Event:** A desired (or successful) outcome or group of outcomes from an experiment, such as rolling an even number on a standard number cube.

**Sample space:** All possible outcomes of a situation. For example, the sample space for flipping a coin is heads and tails; rolling a standard number cube has six possible outcomes (1, 2, 3, 4, 5, and 6).

**Probability:** The likelihood that an event will occur. Probabilities may be written as fractions, decimals, or percents. An event that is guaranteed to happen has a probability of 1, or 100%. An event that has no chance of happening has a probability of 0, or 0%. Events that "might happen" have probabilities between 0 and 1 or between 0% and 100%. In general, the more likely an event is to happen, the greater its probability.

**Experimental probability:** The probability based on data collected in experiments.

Experimental probability =  $\frac{\text{number of successful outcomes in the experiment}}{\text{total number of outcomes in the experiment}}$ 

**Theoretical probability** is a calculated probability based on the possible outcomes when they all have the same chance of occurring.

 $Theoretical \ probability = \frac{number \ of \ successful \ outcomes \ (events)}{total \ number \ of \ possible \ outcomes}$ 

In the context of probability, "successful" usually means a desired or specified outcome (event), such as rolling a 2 on a number cube (probability of  $\frac{1}{6}$ ). To calculate the probability of rolling a 2, first figure out how many possible outcomes there are. Since there are six faces on the number cube, the number of possible outcomes is 6. Of the six faces, only one of the faces has a 2 on it. Thus, to find the probability of rolling a 2, you would write:

 $P(2) = \frac{\text{number of ways to roll } 2}{\text{number of possible outcomes}} = \frac{1}{6} \text{ or } 0.1\overline{6} \text{ or approximately } 16.7\%$